

Modeling of the thermal contact resistance of a solid-solid contact

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Abstract: At the contact interfaces of solid-solid, we talk about real contact versus a perfect contact when after loading; there is a big difference between the real contact area and the nominal contact area. The objective is usually to obtain perfectly smooth surfaces. The work done in this paper is to study the heat transfer between two solids imperfect contact. For this, we used the numerical simulation by the fluent code release (6.2.16) . It should be noted that the determination of the criteria and mechanisms of heat transfer depends strongly on the thermal contact resistance TCR which is produced by the imperfection of the solid-solid contact. The objective of this study was to minimize the TCR to improve the passage of heat flow in the contact interface. To do this, we set up two analytical and numerical solutions to calculate the temperature and the amount of heat flow, to study the influence of the evolution of the contact area due to the progressive loading of the heat flux and the thermal contact resistance.

Keys words: Interface, loading, thermal contact resistance« TCR », contact surface.

I. Introduction

Knowledge of the thermal contact resistance from a model is interesting for the simulation has grown considerably over the past two decades in almost all sectors of the industry (aerospace, automotive , public works and electronic); the purpose of the simulation is often to make the sizing calculation of a thermal system or studying the improvement of production processes or formatting.

For a long time, the analysis of heat transfer through the solid/solid contact interfaces (the very thin heterogeneous layer) which extends on both sides of the theoretical contact arouses interest and identifies many works dedicated to the characterization of interfaces as the modeling of the thermal contact resistance "TCR". There may be mentioned the recent work of Belghali . M [1] , Larzabal.C [2] and Assefraoui. A [3] which have focused on the study of the interface structure. The main objective of this work is to provide or verify theoretical models of thermal contact resistance static " TCR " applicable to various configurations.

In fact we are interested in the evolution of the structure of the interface solid solid contact / between a smooth and infinitely rigid transparent material, and another rough and deformable. This interface is subject to a progressive loading. The contact parameter of interest is the area of real contact.

So our goal is to develop a methodology for the geometric and double thermal characterization of the contact interface. The aim is to establish the laws of evolution of the thermal contact resistance and heat flux depending on the contact surface, for this purpose, three pairs of materials are used: Steel / Steel, Steel/Copper and Steel/Nickel.

We have seen that the thermal contact resistance is the result of two resistors R_s and R_f . However the last depend on the parameters of contact and the nature of the interstitial medium . The study of contact mechanics shows that , for a given state with a given surface couple the evolution of the contact surface is strongly related to the operating conditions , namely the average interface temperature and pressure contact. Increasing the contact pressure has a very clear effect on the heat transfer between solid fused. This effect was studied practically by many authors [4,5,6,7,8,9,10,11,12,3], in the figure (I.1.1) , we give an example of the result proposed by MOKRANI and BOUROUGA [13] .

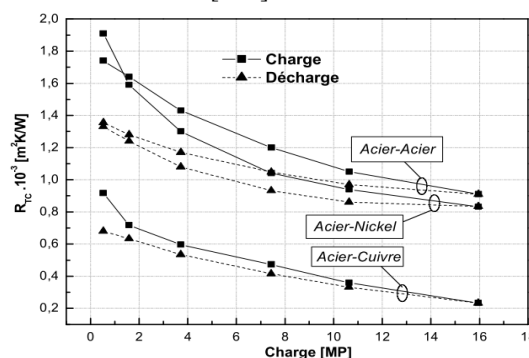


Fig (I.1.1): Variation of the TCR as a function of the load. [13].

The two resistors R_s and R_f respectively characterize the passage by the solid contact and the interstitial medium. The authors [14, 6, 7, 8, 9, 15, and 16] found that the application of pressure to the contact section expands the solid-solid contact, but has little effect on the thickness of the fluid interstitial. It is deduced that the contact pressure is almost exclusively on the R_s component due to the phenomenon of constriction of flow lines.

I.2. definition of the thermal contact resistance

In the multilayer configuration, the quality of the thermal contact between the two layers can be described by a single parameter which is the contact thermal resistance (TCR). In most theoretical studies, it is assumed that the physical contact between two isotropic media is thermally perfect, while in reality, a thermal resistance of significant contact exists because of the presence of a thin intermediate or transition due to irregularities and surface roughness of materials in contact, as well as the possible presence of interstitial phase or impurities which are a barrier to the normal flow of heat flux presence. This resistance is especially important when dealing with solid contact. In this case, two modes of heat transfer are superimposed (Figure I.2.1):

- a transfer by conduction at the contact areas
- a complex transfer through the interstitial fluid.

In the case of the solid conductive medium, there is a convergence of flow lines to the contact areas where heat flow is easier called constriction effect. When the conductivity of the interstitial fluid is similar to that of the medium in contact, the effect of constriction becomes very small and can be neglected. In general, the value of the TCR varies between $10^{-8} \text{ m}^2 \cdot \text{KW}^{-1}$ (near-perfect contact) and $10^{-4} \text{ m}^2 \cdot \text{KW}^{-1}$. Different values of the TCR in this range are used to test this model [17], [18].

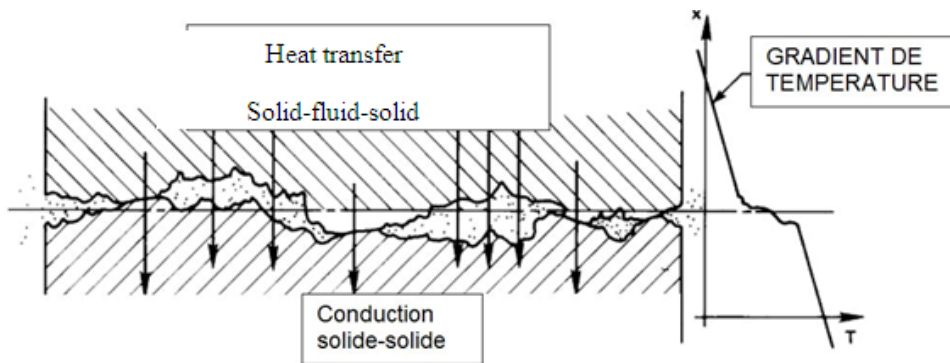


Fig (I.2.1): Heat transfer at the interface of two solids in imperfect contact [19]

II. Description of the problem

When two solids are in contact, due to their roughness and unevenness of the surfaces, the contact is never performed on the entire exposed surface, but only in certain areas of very low surface to the visible surface. Bardon [20] Snaith et al [21] showed that the real contact area is about 1% of the apparent surface for metals.

Between the contact areas there is an interstitial space generally a bad conductor, which is a hindrance to heat transfer, which thereby passes preferentially at the contacts where the heat flow is facilitated. The temperature field is therefore significantly disrupted in the localized area either side of the interface. It results in a constriction of the flow lines (Fig. II.1) which is responsible for the thermal contact resistance. Bardon [22]. The thermal contact resistance in the steady state is defined by:

$$TCR = \frac{T_2 - T_1}{\phi} \dots\dots\dots (II.1)$$

Where T_1 and T_2 are the two contact temperatures extrapolated to the undisturbed temperature towards the geometric contact interface (Fig. I.1.b).

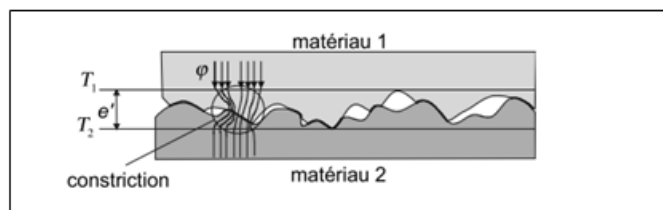


Fig (II.1): Constriction of the flux lines at the contact zone.

To determine the TCR at the interface solid/solid during forming processes, several studies have so far favors an experimental approach to the problem. Analytical and numerical approaches when to allow it to determine, based on models of the TCR values corresponding to the geometric interface conditions and characteristics of materials used.

The mechanical compression loading of an interface solid- solid contact gives rise to a complex field of discrete deformation due to the distribution of contact points. Indeed, the two contacting surfaces will give rise to a quasi- isostatic contact and loading will first multiply the points of contact, increasing the high load will result in the spread of contact points a phenomenon coalescence of these points so the real area of contact changes.

The mechanical evolution of a metal surface is characterized by its topography that is essentially described by a function of the distribution of the heights about the distribution of heights of the rough surface relative to the reference plane, and the roughness parameters which describe the height of the asperities of a rough surface.

Many thermal problems lead us to consider the contact between two solids, one smooth and the other rough and rigid. It is two -dimensional solid plates of length L and height H, thickness δ touch filled with fluid, which is in our case air, active walls of the two solids are maintained at two different temperatures and uniform named respectively T_c and T_f ($T_c > T_f$) . Inactive walls are vertical walls $X = 0$ and $X = L$, which are thermally insulated. Considering that the contact between the two is imperfect solids applying pressure (FigureII.2)

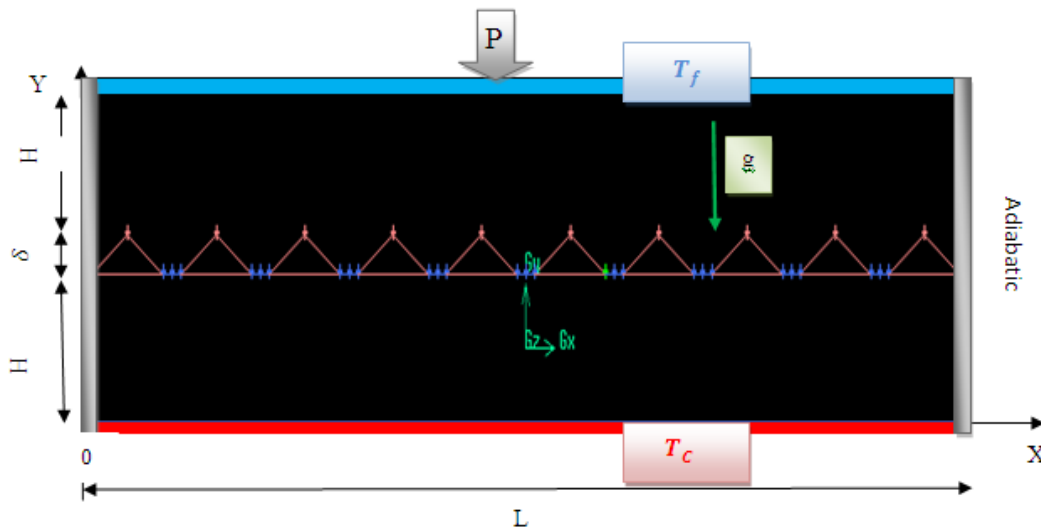


Fig (II.2): Description of the problem

II.2. simplifying assumptions

In order to solve this system of equations above, certain assumptions are used:

- Continuous and isotropic medium.
- Calculation model is two-dimensional and stationary.
- The air is considered incompressible fluid and the transfer mode by radiation negligible.
- The volume forces are only due to the acceleration of gravity.
- The physical properties of air are independent of temperature except the density in the equations of momentum.
- The speeds involved are weak and the internal heat generation is negligible $q = 0$.
- The flow of viscous heat dissipation is negligible: $\varphi = 0$.
- The term $\beta T \frac{dp}{dt}$ (heating by compression power) is negligible due to the low speeds face off.

-The fluid is completely transparent. It does not involve in the radiative exchanges. (No radiation exchange within the fluid).

II.3. Equations governing the problem

The continuity equation expressing the law of conservation of mass for a control volume of material and the equation of momentum obtained from the second law of dynamics are respectively as follows:

$$\frac{\partial \rho}{\partial t} + \text{div}(\rho \cdot \vec{V}) = 0 \quad (\text{II.3.1})$$

$$\frac{D}{Dt}(\rho \vec{V}) = \rho \vec{F} - \text{grad}(p) + \mu \Delta(\vec{V}) + \frac{1}{3} \mu \text{grad}(\text{div}(\vec{V})) \quad (\text{II.3.2})$$

The conservation of energy equation expressing the variation of total power is the sum of the energy variation due to conduction and the internal heat production "q", and power variation due to the effect of compressibility and viscous energy dissipation. either:

$$\frac{D}{Dt}(\rho c_p T) = \Delta(\lambda T) + q + \beta T \frac{Dp}{Dt} + \mu \phi \quad (\text{II.3.3})$$

II.3.1. dimensionalequations

❖ Introducing the above-mentioned assumptions, we arrive at the following equations system:

❖ **Continuity equation:**

$$\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} = 0 \quad (\text{II.3.1.1})$$

❖ **Equations of momentum:**

Along the axis :

$$u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} = -\frac{1}{\rho_0} \frac{\partial p}{\partial x} + \nu \left(\frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial y^2} \right) \quad (\text{II.3.1.2})$$

Along the axisy :

$$u \frac{\partial v}{\partial x} + v \frac{\partial v}{\partial y} = -\frac{1}{\rho} \frac{\partial p}{\partial y} + \nu \left(\frac{\partial^2 v}{\partial x^2} + \frac{\partial^2 v}{\partial y^2} \right) + \beta g (T - T_0) \quad (\text{II.3.1.3})$$

❖ **Energy Equation:**

$$u \frac{\partial T}{\partial x} + v \frac{\partial T}{\partial y} = \alpha \left(\frac{\partial^2 T}{\partial x^2} + \frac{\partial^2 T}{\partial y^2} \right) \quad (\text{II.3.1.4})$$

Where: 'ν' is the kinematic viscosity and, $\alpha = \frac{\lambda}{\rho c_p}$ the thermal diffusivity of the fluid.

These differential equations with partial derivatives form the mathematical model of the flow laminar natural convection of our problem.

II.3.2. dimensionlessequations

The dimensionalisation or normalization is to transform the dependent and independent variables in dimensionless variables, that is to say, they will be normalized with respect to certain characteristics dimensions. This allows you to specify the flow conditions with a limited number of parameters to make the overall solution.

In the processes of heat transfer by natural convection, the formulation in dimensionless variables is important to simplify the equations governing the flow and to guide experiments to be performed.

In order to make the above equations in dimensionless form, the following variables are introduced:

$$Y = \frac{y}{H}, X = \frac{x}{L}, U = \frac{u}{\nu H / L^2}, V = \frac{v}{\nu / L}, \theta = \frac{T - T_c}{T_f - T_c}, P = \frac{p}{\rho_0 (\nu / L)^2}$$

❖ **Continuity equation:**

$$\frac{\partial U}{\partial X} + \frac{\partial V}{\partial Y} = 0 \quad (\text{II.3.2.1})$$

❖ **Equations of momentum:**

Along the axis x :

$$U \frac{\partial U}{\partial X} + V \frac{\partial U}{\partial Y} = - \frac{\partial P}{\partial X} + \frac{1}{Ar^2} \frac{\partial^2 U}{\partial X^2} + \frac{\partial^2 U}{\partial Y^2} \quad (\text{II.3.2.2})$$

Along the axis y :

$$U \frac{\partial V}{\partial X} + V \frac{\partial V}{\partial Y} = - \frac{1}{Ar^2} \frac{\partial P}{\partial Y} - \frac{Gr}{Ar} \theta + \frac{1}{Ar^2} \frac{\partial^2 V}{\partial X^2} + \frac{\partial^2 V}{\partial Y^2} \quad (\text{II.3.2.3})$$

❖ **Energy Equation:**

$$U \frac{\partial \theta}{\partial X} + V \frac{\partial \theta}{\partial Y} = \frac{1}{Pr} \left[\frac{1}{Ar^2} \frac{\partial^2 \theta}{\partial X^2} + \frac{\partial^2 \theta}{\partial Y^2} \right] \quad (\text{II.3.2.4})$$

Therefore, the conservation equations adimensionalisation yielded the dimensionless numbers, which characterize fluid flow and heat transfer between two solid contacting.

➤ **Number of Grashof**

It is a dimensionless number used in fluid mechanics to characterize the natural convection in a fluid. It is the ratio of gravitational force to viscous forces. It is defined by:

$$Gr = \frac{g \beta \Delta T L_c^3}{\nu^2} \quad (\text{II.3.2.5})$$

Where L_c : The characteristic length between the hot and cold wall.

➤ **Number of Rayleigh**

It is a dimensionless number, as the heat transfer characteristic within a fluid. This number is used in fluid mechanics. Below a critical value of 2000, the transfer takes place by conduction, beyond this value, it is the free convection becomes important. It is defined as follows:

$$Ra = \frac{g \beta \Delta T L_c^3}{\nu \alpha} = Gr \cdot Pr \quad (\text{II.3.2.6})$$

➤ **Number of Prandtl :**

It is a dimensionless number. It represents the ratio of the diffusivity of momentum (or kinematic viscosity) and thermal diffusivity. It is defined as follows:

$$Pr = \frac{\nu}{\alpha} \quad (\text{II.3.2.7})$$

II.4. Boundary conditions

Solving the system of equations obtained above requires the incorporation of boundary conditions for each variable. The temperature conditions are known on the walls.

The conditions associated with the problem limits are:

$t > 0$: $u = v = 0$, $y = 0$, on the hot wall, $T = T_c$. $y = L$, on the cold wall, $T = T_f$.

- **Terms of adiabatic** $x = 0$ et H : $\frac{\partial \theta}{\partial x} = 0$. $y = 0$ et L : $\frac{\partial \theta}{\partial y} = 0$.

- **Boundary conditions in dimensionless form**

$\tau > 0$: $U = V = 0$, $\frac{\partial \theta}{\partial Y} = 0$ à $Y = 0$ et 1 ,

$\theta = 1$, on the hot wall à $X = 0$,

$\theta = 0$, on the cold wall à $X = 1$,

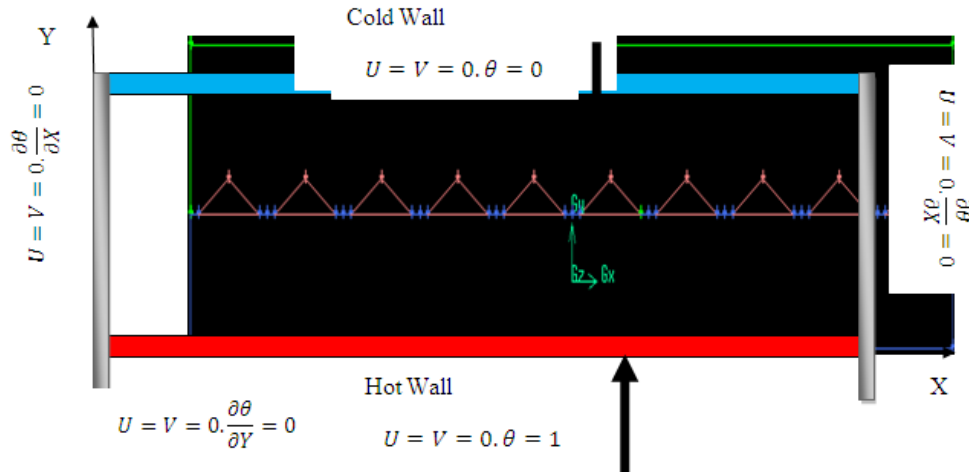


FIG ; (II.4.1):Boundary conditions.

III. Description of the objectives of our study

The thermal contact resistance at the interface reflects the heat flow in parallel through both direct solid-solid track where the flow must pass through a constriction resistance denoted by R_s and indirect path through the nip characterized by resistance of the fluid blade denoted R_f . It is therefore considered as the resultant of these two parallel resistors R_s and R_f as:

$$\frac{1}{RTC} = \frac{1}{R_s} + \frac{1}{R_f} \dots\dots\dots (III.1)$$

The contact areas between an interstitial space remains generally poor conductor, which is a barrier to heat transfer, which thereby passes preferentially at the contacts where the heat flow is facilitated. The temperature field is thereby significantly disturbed in the localized region of each side of the interface. This results in a constriction of the flow lines is responsible for the thermal contact resistance (RTC).

In this work we are interested in the numerical study of the thermal conduction behavior at the points of contact and by natural convection air flow in the interstitial space between the two horizontal solid contact in 2D, length $L = 2\text{mm}$, and $0.15\text{mm} D = \text{width of thickness } \delta$, considering a rigid smooth surface and the other a rough triangular asperities of the same size. And the distribution of the mesh points and numerical simulation were made respectively in a mesh Gambit and Fluent CFD code.

The study is based on the influence of the pressure way which is through the development of the contact surface of the contact thermal resistance on the one hand, and on the other hand the heat flux. To this end we made five attempts on three pairs of solid materials (steel-steel, steel – copper and steel -nickel).

IV. Numerical Simulation

Various problems of fluid mechanics are governed by the same equations, only the boundary conditions can be distinguished. The following boundary conditions are defined by the FLUENT code. At the entrance of the wall 4 to a temperature $T = 500\text{ K}$ and the wall 1 has a temperature $T = 300\text{ K}$ with $g=9.81\text{m/s}^2$.

IV.1.1. Initial conditions

We initialize the parameters for calculating relative to conditions chosen limits. The fluid used in this study is the air following physical properties:

$$\rho = 1 \text{ kg /m}^3 \quad C_p = 4.185 \text{ j /kg.k} \quad \mu = 0.048 \text{ kg /m.s} \quad \lambda = 0.12 \text{ w/m.k}$$

V.1.2. measurement principle:

To perform the calculation, we have imposed a temperature $T_1 = 500\text{k}$ on the wall of smooth and rigid solid (wall 4 is the hot wall) and the wall of rough solid temperature $T_2 = 300\text{K}$ (one wall is the cold wall). We did the math for three couples and generated for each case studied the influence of temperature in the transition zone with the fluent code for a calculation of temperature at the interstitial interface.

IV.1.3. Les contours of temperature Static:

To determine the degradation temperature we define the line temperature in the region of contact. fig (V.1) of the torque material for Example Steel / Copper.

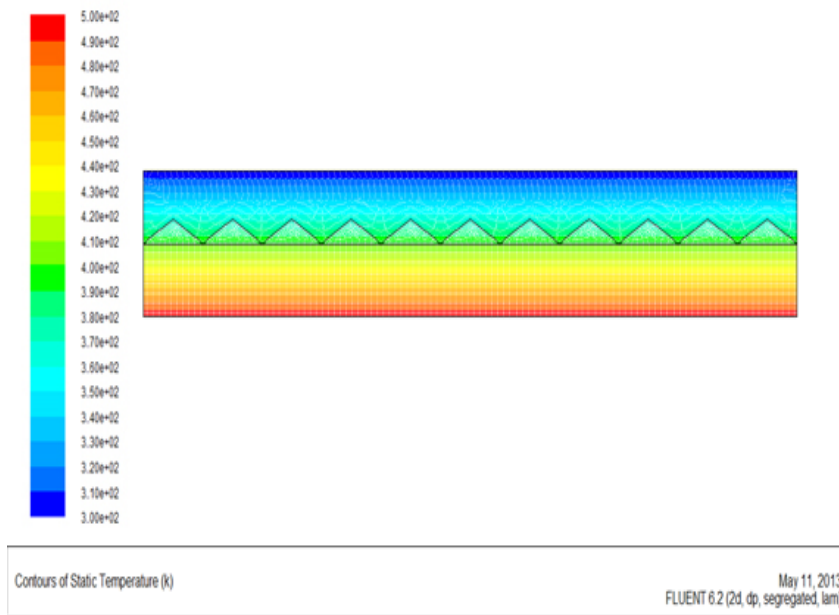


FIG ; (IV.1): Field degradation temperature in solid contact with $\delta=0.05\text{mm}$. The variation of the static temperature gradient increases with the evolution of rough surfaces.

IV.2. Contour temperature variation

For determining the variation of the temperature in the transition region there are two lines in the area between the two solids as shown in Figure (IV.2) for torque Steel /Copper.

Measuring the RTC between two solids in static contact is to create perpendicular to the contact surface, a unidirectional flow of heat in the area not affected by the constriction of flux lines. This flow and the temperature jump at the interface are determined from the measured temperatures on the contact area. The following tables represent the measurements and calculations of flow and TCR for three couples materials.

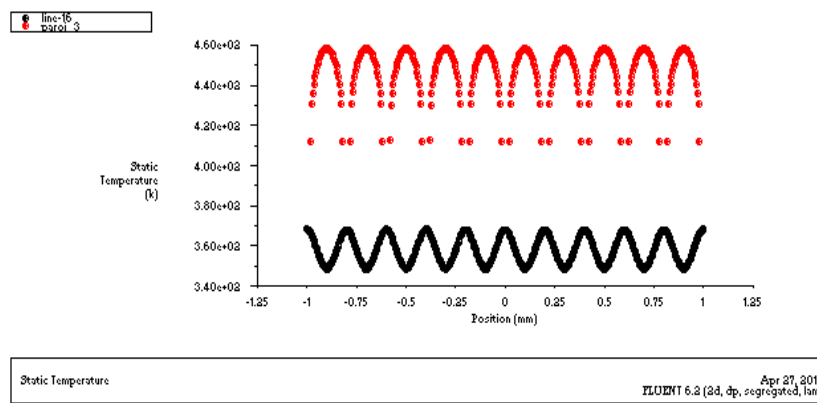


FIG ;(IV.2) :temperature variation between the two rows in the contact zone.

fused solid	steel/ steel				
tests	1	2	3	4	5
thickness (mm)	0.050	0.040	0.033	0.025	0.019
solid surface (mm ²)	0.05	0.2	0.4	0.6	0.8
fluid Surface (mm ²)	0.00500	0.00320	0.00198	0.00100	0.00038
λ_s (w/m.K)	16.27	16.27	16.27	16.27	16.27
λ_f (w/m.K)	0.0242	0.0242	0.0242	0.0242	0.0242
ΔT (K)	198.9	109.53	90.65	68.89	45.00
TCR_f (K/W)	413.22314	516.528926	688.705234	1033.05785	2066.1157
TCR_s (K/W)	0.06146281	0.01229256	0.00507068	0.00256095	0.00145974
TCR_T (K/W)	0.06145367	0.01229227	0.00507064	0.00256094	0.00145974
$Flux_f$ (W)	0.481338	0.21205008	0.1316238	0.06668552	0.02178
$Flux_s$ (W)	3236.1030	8910.2655	17877.2788	26900.1672	30827.3684
$Flux_T$ (W)	3236.58434	8910.47755	17877.4104	26900.2339	30827.3902

TableIV.2.1 :calculation of the parametersoforqueSteel /Nickel

fusedsolid	steel/ Copper				
tests	1	2	3	4	5
thickness (mm)	0,05	0,04	0,033	0,025	0,019
solid surface (mm ²)	0,05	0,2	0,4	0,6	0,8
fluid Surface (mm ²)	0,005	0,0032	0,00198	0,001	0,00038
λ_s (w/m.K)	387,6	387,6	387,6	387,6	387,6
λ_f (w/m.K)	0,0242	0,0242	0,0242	0,0242	0,0242
ΔT (K)	196,23	106,15	80,56	66,67	39,21
TCR_f (K/W)	413,22314	516,528926	688,705234	1033,05785	2066,1157
TCR_s (K/W)	0,00257998	0,000516	0,00021285	0,0001075	6,1275E-05
TCR_T (K/W)	0,00257996	0,000516	0,00021285	0,0001075	6,1275E-05
$Flux_f$ (W)	0,4748766	0,2055064	0,11697312	0,06453656	0,01897764
$Flux_s$ (W)	76058,748	205718,7	378485,527	620191,008	639907,2
$Flux_T$ (W)	76059,2229	205718,906	378485,644	620191,073	639907,219

TableIV.2.2 :Calculation of the parametersoforquesteel-Copper .

fusedsolid	Steel /Nickel				
tests	1	2	3	4	5
thickness (mm)	0,05	0,04	0,033	0,025	0,019
solid surface (mm ²)	0,05	0,2	0,4	0,6	0,8
fluid Surface (mm ²)	0,005	0,0032	0,00198	0,001	0,0038
λ_s (w/m.K)	91,74	91,74	91,74	91,74	91,74
λ_f (w/m.K)	0,0242	0,0242	0,0242	0,0242	0,0242
ΔT (K)	199,03	106,87	83,06	57,01	40,58
TCR_f (K/W)	413,22314	516,528926	688,705234	1033,05785	206,61157
TCR_s (K/W)	0,01090037	0,00218007	0,00089928	0,00045418	0,00025888
TCR_T (K/W)	0,01090008	0,00218006	0,00089928	0,00045418	0,00025888
$Flux_f$ (W)	0,4816526	0,20690032	0,12060312	0,05518568	0,1964072
$Flux_s$ (W)	18259,0122	49021,269	92362,72	125522,338	156749,861
$Flux_T$ (W)	18259,4939	49021,4759	92362,8406	125522,393	156750,057

TableIV.2.3:Calculation of the parametersoforquesteel-Nickel.

V. Results and discussion

To determine the thermal contact resistance and heat flux at the interface, we present the results of the tables on the graphs of the influence of temperature and the real contact area at the TCR and the flow for each pair of materials and the comparison.

V.1.1. Case of Steel- steel contact

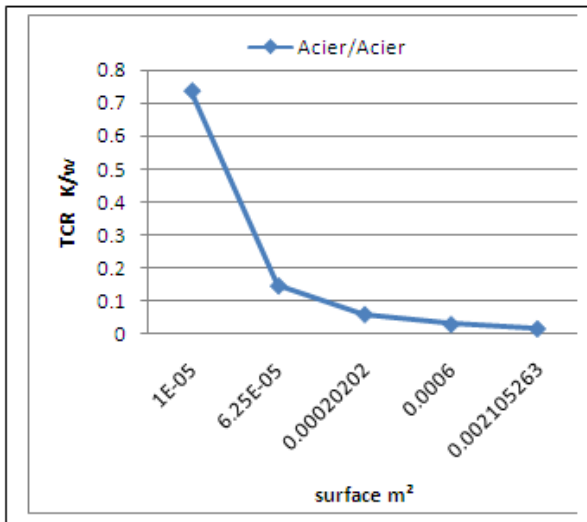


Fig :V.1: variation of the TCR as a function of the contact area

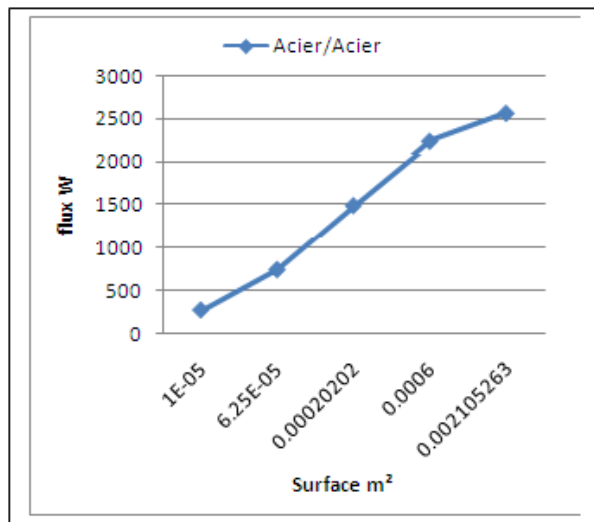


Fig :V.2: variation of the heat flow as a function of the contact area

V.1.2. Case of Steel- Copper contact

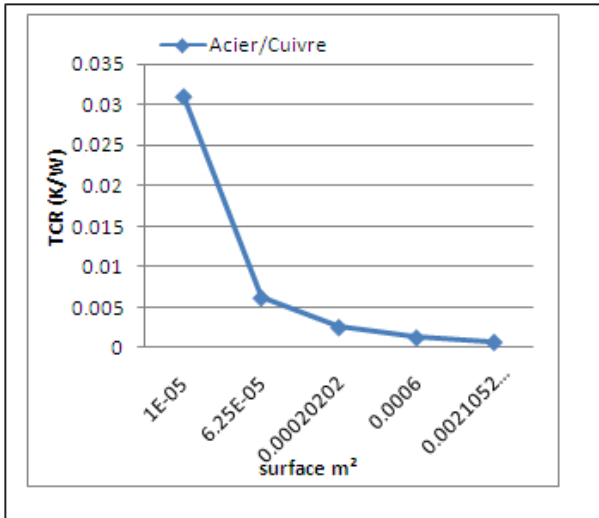


Fig :V.3: variation of the TCR as a function of the contact area

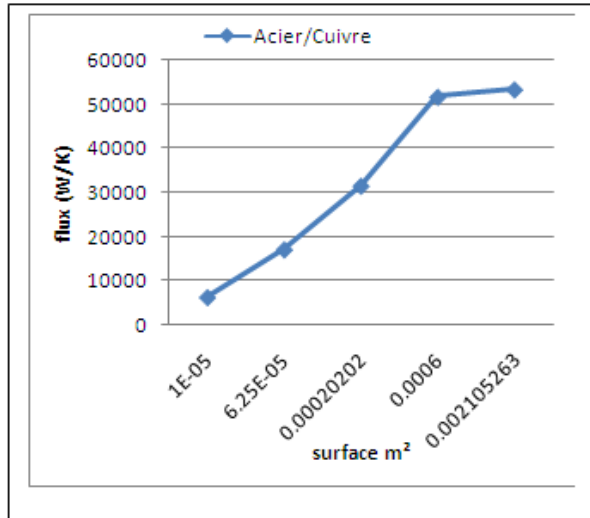


Fig :V.4: variation of the heat flows as a function of the contact area

V.1.3. Case of Steel- Nickel contact

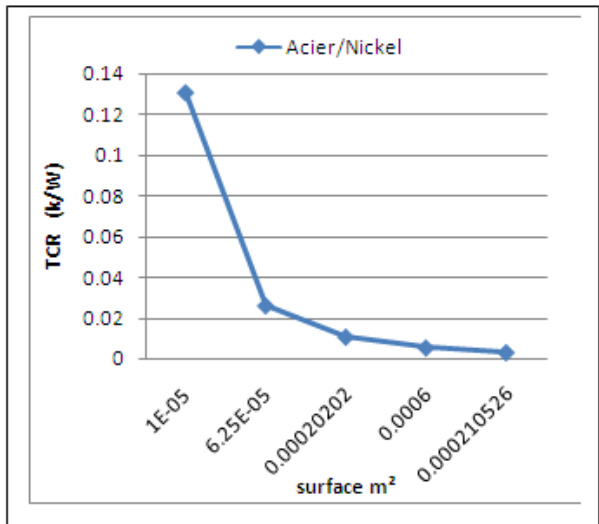


Fig :V.5: variation of the TCR as a function of the contact area

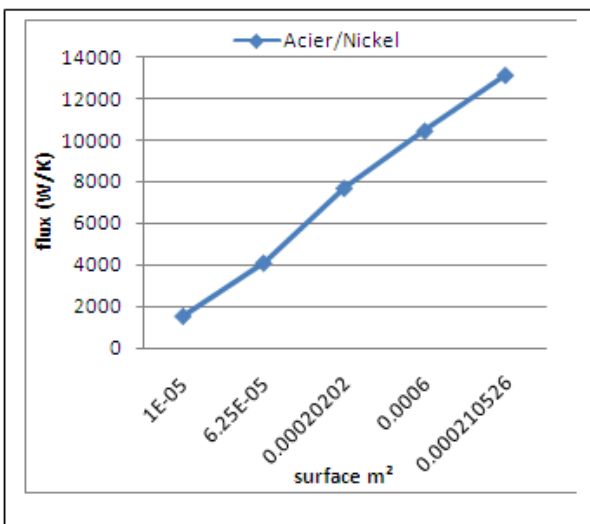


Fig :V.6: variation of the heat flows as a function of the contact area

Figures (V.1), (V.3) and (V.5) represent the resistance curve based on the actual contact surface for three pairs of materials. From these graphs, we see that the TCR decreases with progressive loading that we see by the actual contact area.

Figures (V.2), (V.4) and (V.6) represent the curve of heat flows as a function of the actual contact surface for three pairs of materials. Through these curves, we note that the increase in the real contact area due to the progressive loading improves the passage of heat flow.

V.2. Comparison of results for the three pairs of materials.

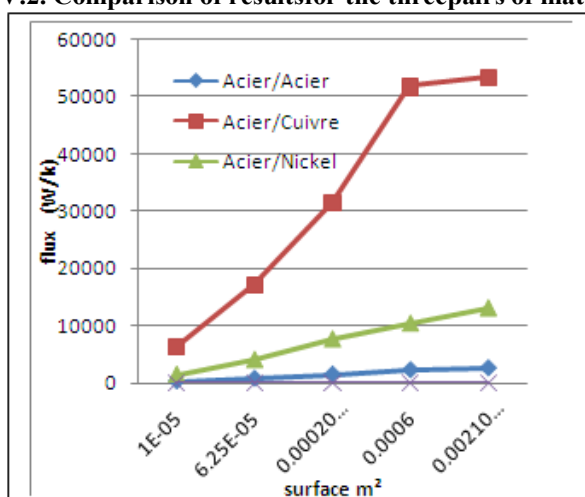


Fig V.7: variation of the heat flows as a function of the contact area

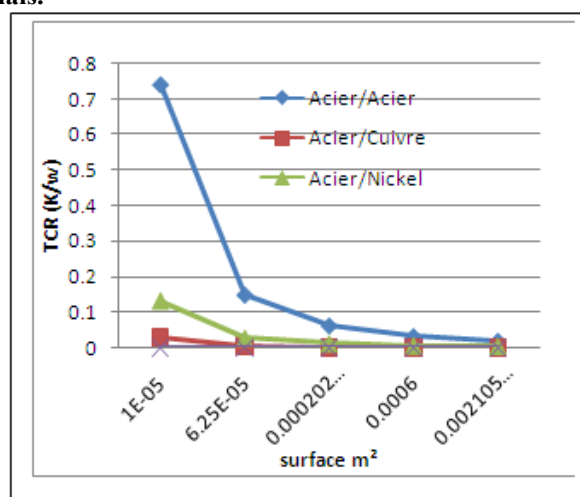


Fig V.8: variation of the TCR as a function of the contact area

Comparing the values of the TCR for three couples, we see that for the couple-Steel Copper the value of the TCR tends to a minimum value at the end of the charging cycle. (Figure V.8).

For values of the heat flux, we note that the heat flux transmitted through the couple Steel/Copper reaching very satisfactory values for progressive loading. (Fig V.7).

VI. Conclusion

The objective of this work was to contribute to the understanding of when thermal phenomena including the generation of heat by conduction in the imperfect contacts and influence of the flow of heat for this, we conducted an analysis thermal couples of steel / steel , steel / copper and steel / nickel in planar contact with passage of the temperature field. In the thermal modeling of an imperfect contact, we took into account the influence of some parameters on the evolution of the thermal contact resistance at the interfacial contact, which are: the load, and the contact surface temperature. The torque of the material is one of the most influencing parameters on the thermal behavior . It was found that the torque Steel / Copper we chose supports more heat than the other couple steel / steel or nickel in the heterogeneous area. The comparison between the results of these three materials showed that the heat flux at the contact steel / copper transmitted better than others, because of the low thermal contact resistance. The increase in the latter leads to a decrease in heat flow.

The results show that the most influencing parameters on the thermal contact resistance are: load, type of material, the surface of contact. Therefore, to increase the heat transfer at the contact surface , can be played on these settings to limit or minimize disruption of the flow of heat between the two contiguous solid . The first simulation results show that the evolution of the TCR depending on the contact pressure (contact surface) is coherent and consistent with the literature. Simulation results show that the couple Steel / Copper is the best conductor of heat transfer (heat flux) in the heterogeneous area because of the high conductivity compared to other couples steel / nickel and steel / steel which is the couple lower. The parameters that influence the thermal contact resistance (TCR) are progressive load (changing the actual contact surface) as can be seen in the results in Figure V.8 , the interstitial fluid (as roughness) and the type of material (thermal conductivity) . The comparison of our simulation results on the thermal contact resistance as a function of pressure is way through contact surface shown in Figure (V.8) with the experimental results shown in MOKRANI.BOUROUGA Figure (I.1.1) shows that the two results are consistent with an error rate that is justified by the conditions, assumptions configuration and description of the geometry of the problem.

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